

SECTION A

^^Which quadrant does θ terminate if $\sin \theta$ is positive and $\tan \theta$ is positive

@@1st quadrant ~

@@2nd quadrant

@@3rd quadrant

@@4th quadrant

^^Which quadrant does θ terminate if $\sin \theta$ is positive and $\tan \theta$ is negative

@@1st quadrant

@@2nd quadrant~

@@3rd quadrant

@@4th quadrant

^^Which quadrant does θ terminate if $\sin \theta$ is negative and $\tan \theta$ is positive

@@1st quadrant

@@2nd quadrant

@@3rd quadrant~

@@4th quadrant

^^Which quadrant does θ terminate if $\sin \theta$ is negative and $\tan \theta$ is negative

@@1st quadrant

@@2nd quadrant

@@3rd quadrant

@@4th quadrant~

^^Which quadrant does θ terminate if $\sin \theta$ is positive and $\cot \theta$ is positive

@@1st quadrant~

@@2nd quadrant

@@3rd quadrant

@@4th quadrant

^^Which quadrant does θ terminate if $\sin \theta$ is positive and $\cot \theta$ is negative

@@1st quadrant

@@2nd quadrant~

@@ 3rd quadrant

@@ 4th quadrant

^^Which quadrant does θ terminates sin θ is negative and cot θ is positive

@@1st quadrant

@@2nd quadrant

@@ 3rd quadrant~

@@ 4th quadrant

^^Which quadrant does θ terminates sin θ is negative and cot θ is negative

@@1st quadrant

@@2nd quadrant

@@ 3rd quadrant

@@ 4th quadrant~

^^Which quadrant does θ terminates sin θ is positive and cos θ is positive

@@1st quadrant~

@@2nd quadrant

@@ 3rd quadrant

@@ 4th quadrant

^^Which quadrant does θ terminates sin θ is positive and cos θ is negative

@@1st quadrant

@@2nd quadrant~

@@ 3rd quadrant

@@ 4th quadrant

^^Which quadrant does θ terminates sin θ is negative and cos θ is positive

@@1st quadrant

@@2nd quadrant

@@ 3rd quadrant

@@ 4th quadrant~

^^Which quadrant does θ terminate if $\sin \theta$ is negative and $\cos \theta$ is negative

@@1st quadrant

@@2nd quadrant

@@ 3rd quadrant~

@@ 4th quadrant

^^Which quadrant does θ terminate if $\sin \theta$ is positive and $\sec \theta$ is positive

@@1st quadrant~

@@2nd quadrant

@@ 3rd quadrant

@@ 4th quadrant

^^Which quadrant does θ terminate if $\sin \theta$ is positive and $\sec \theta$ is negative

@@1st quadrant

@@2nd quadrant~

@@ 3rd quadrant

@@ 4th quadrant

^^Which quadrant does θ terminate if $\sin \theta$ is negative and $\sec \theta$ is positive

@@1st quadrant

@@2nd quadrant

@@ 3rd quadrant

@@ 4th quadrant~

^^Which quadrant does θ terminate if $\sin \theta$ is negative and $\sec \theta$ is negative

@@1st quadrant

@@2nd quadrant

@@ 3rd quadrant~

@@ 4th quadrant

SECTION B

^^ Given that $\sin \theta = \frac{1}{2}$ $0^\circ \leq \theta \leq 90^\circ$ find $\cos \theta$

$$@@ \frac{\sqrt{3}}{2} \sim$$

$$@@ 2$$

$$@@ \frac{2}{\sqrt{3}}$$

$$@@ \frac{1}{\sqrt{3}}$$

^^ Given that $\sin \theta = \frac{1}{2}$ $0^\circ \leq \theta \leq 90^\circ$ find $\tan \theta$

$$@@ \frac{\sqrt{3}}{2}$$

$$@@ \frac{1}{\sqrt{3}} \sim$$

$$@@ \frac{2}{\sqrt{3}}$$

$$@@ \frac{-1}{\sqrt{3}}$$

^^ Given that $\sin \theta = \frac{1}{2}$ $0^\circ \leq \theta \leq 90^\circ$ find $\sec \theta$

$$@@ \frac{\sqrt{3}}{2}$$

$$@@ \frac{2}{\sqrt{3}} \sim$$

$$@@ 2$$

$$@@ \frac{-2}{\sqrt{3}}$$

^^ Given that $\sin \theta = \frac{1}{2}$ $0^\circ \leq \theta \leq 90^\circ$ find $\operatorname{cosec} \theta$

$$@@ \frac{\sqrt{3}}{2}$$

$$@@ 2 \sim$$

$$@@ \frac{2}{\sqrt{3}}$$

$$@@ \frac{1}{\sqrt{3}}$$

^^ Given that $\sin \theta = \frac{1}{2}$ $0^\circ \leq \theta \leq 90^\circ$ find $\cot \theta$

$$@@ \sqrt{3} \sim$$

$$@@ \frac{1}{4}$$

$$@@ -\frac{2}{\sqrt{3}}$$

$$@@ -\sqrt{3}$$

^^ Given that $\sin \theta = \frac{1}{2}$ $90^\circ \leq \theta \leq 180^\circ$ find $\cos \theta$

$$@@ \frac{\sqrt{3}}{2}$$

$$@@ -\frac{\sqrt{3}}{2} \sim$$

$$@@ \frac{1}{\sqrt{3}}$$

$$@@ \frac{-1}{\sqrt{3}}$$

^^ Given that $\sin \theta = \frac{1}{2}$ $90^\circ \leq \theta \leq 180$ find $\tan \theta$

$$@@ \frac{\sqrt{3}}{2}$$

$$@@ \frac{2}{\sqrt{3}}$$

$$@@ \frac{1}{\sqrt{3}}$$

$$@@ \frac{-1}{\sqrt{3}} \sim$$

^^ Given that $\sin \theta = \frac{1}{2}$ $90^\circ \leq \theta \leq 180$ find $\sec \theta$

$$@@ \frac{\sqrt{3}}{2}$$

$$@@ \frac{2}{\sqrt{3}}$$

$$@@ 2$$

$$@@ \frac{-2}{\sqrt{3}} \sim$$

^^ Given that $\sin \theta = \frac{1}{2}$ $90^\circ \leq \theta \leq 180$ find $\operatorname{cosec} \theta$

$$@@ \frac{1}{3}$$

$$@@ \frac{2}{\sqrt{3}}$$

$$@@ 2 \sim$$

$$@@ \frac{1}{\sqrt{3}}$$

^^ Given that $\sin \theta = \frac{1}{2}$ $90^\circ \leq \theta \leq 180^\circ$ find $\cot \theta$

$$@@ -\sqrt{3} \sim$$

$$@@ \sqrt{3}$$

$$@@ -\frac{2}{\sqrt{3}}$$

$$@@ \frac{1}{3}$$

^^ Given that $\sin \theta = -\frac{1}{2}$ $180^\circ < \theta \leq 270^\circ$ find $\cos \theta$

$$@@ \frac{\sqrt{3}}{2}$$

$$@@ -\frac{\sqrt{3}}{2} \sim$$

$$@@ \frac{1}{3}$$

$$@@ \frac{1}{2}$$

^^Given that $\sin \theta = -\frac{1}{2}$ $180^\circ < \theta \leq 270^\circ$ find $\tan \theta$

@@ 2

@@ $\sqrt{3}$

@@ $\frac{1}{\sqrt{3}}$ ~

@@ $\frac{-1}{\sqrt{3}}$

^^Given that $\sin \theta = -\frac{1}{2}$ $180^\circ < \theta \leq 270^\circ$ find $\sec \theta$

@@ $\frac{\sqrt{3}}{2}$

@@ $-\frac{\sqrt{3}}{2}$ ~

@@ $\frac{2}{\sqrt{3}}$

@@ $\frac{1}{2}$

^^Given that $\sin \theta = -\frac{1}{2}$ $180^\circ < \theta \leq 270^\circ$ find $\operatorname{cosec} \theta$

@@ $\frac{\sqrt{3}}{2}$

@@ $-\sqrt{3}$

@@ $\frac{2}{\sqrt{3}}$

@@ -2 ~

^^Given that $\sin \theta = -\frac{1}{2}$ and θ in the 4th quadrant find $\cos \theta$

@@ $\frac{\sqrt{3}}{2}$ ~

@@ $-\frac{\sqrt{3}}{2}$

@@ $\frac{2}{\sqrt{3}}$

@@ $\frac{-1}{\sqrt{3}}$

^^Given that $\sin \theta = -\frac{1}{2}$ and θ in the 4th quadrant find $\tan \theta$

@@ $\frac{\sqrt{3}}{2}$

@@ $-\frac{2}{\sqrt{3}}$

@@ $\frac{2}{\sqrt{3}}$

@@ $\frac{-1}{\sqrt{3}}$ ~

^^Given that $\sin \theta = -\frac{1}{2}$ and θ in the 4th quadrant find $\sec \theta$

@@ $\sqrt{3}$

@@ $-\sqrt{3}$

@@ $\frac{2}{\sqrt{3}} \sim$

@@ $\frac{-1}{\sqrt{3}}$

^^ Given that $\sin \theta = -\frac{1}{2}$ and θ in the 4th quadrant find $\operatorname{cosec} \theta$

@@ $-2 \sim$

@@ $-\frac{\sqrt{3}}{2}$

@@ $\frac{1}{\sqrt{3}}$

@@ $\frac{-1}{\sqrt{3}}$

^^ Given that $\sin \theta = -\frac{1}{2}$ and θ in the 4th quadrant find $\cot \theta$

@@ $-\sqrt{3} \sim$

@@ $\frac{1}{2}$

@@ -2

@@ $\frac{1}{\sqrt{3}}$

SECTION C

^^ $\sin 55^\circ$ is less than $\cos 55^\circ$

@@ True

@@ False~

^^ $\sin (90+\theta) = \cos \theta$

@@True

@@False~

^^ Cosine and Sine have the same signs in the 1st and 2nd quadrants

@@True

@@False~

^^ Cosine and Sine have opposite signs in the 2nd and 4th quadrants

@@True~

@@False

^^ Sine and Tangent have the same sign in the 1st quadrant only

@@True

@@False~

^^ Sine and Tangent have the same sign in the 3rd quadrant only

@@True

@@False~

^^ Cosine and Tangent have opposite signs in the 2nd and 3rd quadrants

@@True

@@False~

^^ Cosine and Tangent have opposite signs in the 3rd and 4th quadrants

@@True~

@@False

^^ Sine and Cosine have the same sign in the 3rd quadrant only

@@True

@@False~

^^ Sine and Tangent have the same sign in the 1st and 4th quadrants

@@True~

@@False

^^ Sine and Tangent have the same sign in the 1st and 3rd quadrant

@@True

@@False~

^^Sine and Tangent have the same sign in the 1st and 2nd quadrant

@@True

@@False~

^^Sine and Tangent have the same sign in the 2nd and 3rd quadrant

@@True ~

@@False

^^Sine and Tangent have the same sign in the 3rd and 4th quadrant

@@True

@@False~

^^Cos 55 is less than sin 55

@@True~

@@False

^^Cos (90+θ) = sin θ

@@True

@@False~

^^Cosine and sine have the same signs in the 1st and 3rd quadrant

@@True~

@@False

^^Cosine and sine have the same signs in the 2nd and 4th quadrant

@@True

@@False~

^^Cosine and sine have the same signs in the 1st quadrant only

@@True

@@False~

^^Sine and Tangent have opposite signs in the 2nd and 3rd quadrant

@@True~

@@False

^^ Sine and Tangent have opposite signs in the 2nd and 4th quadrant

@@ True

@@ False~

^^ Cosine and Tangent have opposite signs in the 2nd and 3rd quadrants

@@ True

@@ False~

SECTION D

^^ $\frac{\sin 3A}{\sin A} - \frac{\cos 3A}{\cos A}$ Simplifies to

@@ 2~

@@ 4

@@ 4/3

@@ 2/3

^^ $\frac{\sin 5B - \sin 3B}{\cos 5B + \cos 3B}$ Simplifies to

@@ tan 2B~

@@ cos 4B

@@ cos 3B

@@ sin 5B

^^ $\cot \theta + \frac{\sin \theta}{1 + \cos \theta}$ Simplifies to

@@ cot θ

@@ cosec θ ~

@@ sec θ

@@ sin θ

^^ $\frac{\cos(\alpha + \beta)}{\sin \alpha \cos \beta} + \tan \beta$

$$\cot \alpha \sim$$

$$\tan \alpha$$

$$\sin \alpha$$

$$\cos \beta$$

$$\frac{1 + \tan \theta}{1 + \cot \theta} \text{ Simplifies to}$$

$$\cot \theta \sec \theta$$

$$2 \operatorname{cosec} \theta$$

$$\sec \theta$$

$$\tan \theta \sim$$

$$\frac{\sin 4\theta + \sin 2\theta}{\cos 4\theta + \cos 2\theta} \text{ Simplifies to}$$

$$\tan 3\theta \sim$$

$$\operatorname{cosec} 4\theta$$

$$\cos 5\theta$$

$$\sin 2\theta$$

$$\frac{\sin 75 + \sin 15}{\cos 75 + \cos 15} \text{ Simplifies to}$$

$$3$$

$$\frac{3}{4}$$

$$\sqrt{3} \sim$$

$$\frac{2}{3}$$

$$2 \sin 45^\circ \cos 15^\circ \text{ Simplifies to}$$

$$\sqrt{3} \tan 35$$

$$4 \operatorname{cosec} 45$$

$$\sqrt{2} \cos 15 \sim$$

$$7\sin 20^\circ$$

$\sin 40^\circ + \sin 20^\circ$ Simplifies to

$$\sqrt{3} \tan 45^\circ$$

$$4 \operatorname{cosec} 10^\circ$$

$$\cos 10^\circ \sim$$

$$\sin 20^\circ$$

$\sin 60^\circ + \sin 40^\circ$ Simplifies to

$$\tan 45^\circ \cos 30^\circ$$

$$4 \operatorname{cosec} 10^\circ$$

$$2 \sin 50^\circ \cos 10^\circ \sim$$

$$4 \sec 10^\circ \sin 20^\circ$$

$\sin 55^\circ - \sin 15^\circ$ Simplifies to

$$\tan 15^\circ \cos 35^\circ$$

$$2 \cos 35^\circ \sin 20^\circ \sim$$

$$7 \sin 60^\circ \cos 50^\circ$$

$$4 \sin 20^\circ$$

$\cos 65^\circ + \cos 15^\circ$ Simplifies to

$$\sin 15^\circ \cos 35^\circ$$

$$2 \cos 40^\circ \cos 25^\circ \sim$$

$$\sin 40^\circ \cos 25^\circ$$

$$4 \sin 15^\circ$$

$\cos^2 \theta \tan \theta \operatorname{cosec} \theta$ Simplifies to

$$\sin \theta$$

$$\cos \theta \sim$$

$$\tan \theta$$

$$2 \cos \theta$$

$(1 + \tan \theta)^2 + (1 - \tan \theta)^2$ Simplifies to

$$2\sec^2\theta \sim$$

$$\cos\theta$$

$$2\sin\theta$$

$$4\tan\theta$$

$$(a\cos x + b\sin x)^2 + (a\sin x - b\cos x)^2 \text{ Simplifies to}$$

$$a^2 + b^2 \sim$$

$$a^2 - b^2$$

$$2a^2 + b^2$$

$$a^2 + 2b^2$$

$$\frac{\tan y - \sin y}{\sin^2 y} \text{ Simplifies to}$$

$$\frac{\sec y}{1 + \cos y} \sim$$

$$\tan y$$

$$\operatorname{cosec}^2 y$$

$$\sin y + 1$$

$$\sin^2\theta \cot^2\theta \operatorname{cosec}^2\theta \tan^2\theta \text{ Simplifies to}$$

$$1 \sim$$

$$2/3$$

$$1/2$$

$$3/4$$

$$\sin 30^\circ + \sin 20^\circ \text{ Simplifies to}$$

$$\tan 45^\circ \cos 35^\circ$$

$$4 \operatorname{cosec} 10^\circ \sin 35^\circ$$

$$2 \sin 25^\circ \cos 5^\circ \sim$$

$$4\cos 10\sin 25$$

$\sin 70^\circ - \sin 40^\circ$ Simplifies to

$$2\cos 45\sin 35$$

$$2\cos 55\sin 15 \sim$$

$$2\sin 35\cos 15$$

$$4\cos 10\sin 25$$

$\cos 50^\circ + \cos 20^\circ$ Simplifies to

$$2\sin 35\cos 15$$

$$2\cos 35\cos 15 \sim$$

$$2\sin 25\cos 5$$

$$4\cos 10\cos 25$$

$\sin 20^\circ \cos 15^\circ$ Simplifies to

$$\frac{1}{2}(\sin 35 + \sin 5) \sim$$

$$\frac{1}{2}(\cos 35 + \cos 5)$$

$$\frac{1}{2}(\sin 35 - \sin 5)$$

$$\frac{1}{2}(\cos 35 - \cos 5)$$

$\cos 40^\circ \cos 10^\circ$ Simplifies to

$$\frac{1}{2}(\cos 50 + \cos 30) \sim$$

$$\frac{1}{2}(\cos 50 - \cos 30)$$

$$\frac{1}{2}(\sin 50 - \cos 30)$$

$$\frac{1}{2}(\sin 50 + \sin 30)$$

$\sin 3\theta \sin 2\theta$ Simplifies to

$$-\frac{1}{2}(\cos 5\theta - \cos \theta) \sim$$

$$\frac{1}{2}(\cos 5\theta + \cos \theta)$$

$$\frac{1}{2}(\sin 5\theta + \sin \theta)$$

$$-\frac{1}{2}(\sin 5\theta - \sin \theta)$$

$$\cos \left(\arcsin \frac{\sqrt{2}}{2} \right)$$

$$@@ \frac{\sqrt{3}}{2}$$

$$@@ -\sqrt{3}$$

$$@@ \frac{\sqrt{2}}{2} \sim$$

$$@@ -2$$

$$^^ \text{Arc sin} \left(\tan \frac{3\Pi}{4} \right)$$

$$@@ \frac{\Pi}{4}$$

$$@@ \frac{3\Pi}{2}$$

$$@@ \frac{\Pi}{2}$$

$$@@ -\frac{\Pi}{2} \sim$$

$$^^ \text{Sin} \left(\text{arc sin} \frac{1}{2} \right)$$

$$@@ \frac{1}{4}$$

$$@@ \frac{3}{2}$$

$$@@ \frac{1}{2} \sim$$

$$@@ -\frac{1}{2}$$

$$\cos(\arccos(\frac{3}{5}))$$

$$\frac{4}{5}$$

$$\frac{3}{4}$$

$$\frac{1}{2}$$

$$-\frac{5}{2}$$

$$\sin(\arccos(\frac{2}{3}))$$

$$\frac{\sqrt{5}}{3}$$

$$\frac{\sqrt{5}}{2}$$

$$\frac{1}{2}$$

$$-\frac{\sqrt{3}}{2}$$

$$\tan(\arcsin(\frac{3}{4}))$$

$$\frac{3\sqrt{5}}{3}$$

@@ $\frac{\sqrt{5}}{2}$

@@ $\frac{3}{7}$

@@ $-\frac{3\sqrt{7}}{7} \sim$

^^Which of the following is the value of $\cos 870^\circ$

@@ $-\frac{\sqrt{3}}{2} \sim$

@@ $-\sqrt{3}$

@@ $\frac{2}{\sqrt{3}}$

@@ -2

^^Which of the following is the value of $\sin 870^\circ$

@@ $\frac{1}{2} \sim$

@@ $-\sqrt{2}$

@@ $-\frac{1}{\sqrt{3}}$

@@ -3

^^Which of the following is the value of $\tan 870^\circ$

@@ $\frac{\sqrt{3}}{2}$

@@ $-\sqrt{2}$

@@ $-\frac{1}{\sqrt{3}}$ ~

@@ $\frac{1}{2}$

^^Which of the following is the value of $\sec 870^\circ$

@@ $-\frac{2}{\sqrt{3}}$ ~

@@ $-\sqrt{5}$

@@ $\frac{2}{3}$

@@ 2

^^Which of the following is the value of $\operatorname{cosec} 870^\circ$

@@ $\frac{\sqrt{3}}{4}$

@@ $-\sqrt{3}$

@@ $\frac{2}{\sqrt{3}}$

@@ 2 ~

^^Which of the following is the value of $\cot 870^\circ$

@@ $\frac{\sqrt{3}}{2}$

@@ $-\sqrt{3}$ ~

@@ $\frac{2}{\sqrt{3}}$

@@ 3

^^The reference angle of 3490° is

@@ 150°

@@ 100°

@@ 200°

@@ $250^\circ \sim$

^^The reference angle of 870° is

@@ 55°

@@ 75°

@@ 125°

@@ $150^\circ \sim$

^^The reference angle of 1380° is

@@ $300^\circ \sim$

@@ 245°

@@ 215°

@@ 315°

^^The reference angle of 1860° is

@@ $60^\circ \sim$

@@ 45°

@@ 65°

@@ 50°

SECTION E

^^Given that $\sin A = \frac{5}{13}$ $\tan B = -\frac{3}{4}$ as A and B are in the 2nd quadrant. find $\sin(A+B)$

@@ $16/65$

@@ $56/65$

@@ $-56/65 \sim$

@@-16/65

^^Given that $\sin A = \frac{5}{13}$ $\tan B = -\frac{3}{4}$ as A and B are in the 2nd quadrant find $\sin(A - B)$

@@16/65 ~

@@56/65

@@-56/65

@@-16/65

^^Given that $\sin A = \frac{5}{13}$ $\tan B = -\frac{3}{4}$ as A and B are in the 2nd quadrant find $\cos(A + B)$

@@33/65 ~

@@63/65

@@16/63

@@16/65

^^Given that $\sin A = \frac{5}{13}$ $\tan B = -\frac{3}{4}$ as A and B are in the 2nd quadrant find $\cos(A - B)$

@@63/65 ~

@@33/65

@@16/63

@@16/56

^^Given that $\sin A = \frac{5}{13}$ $\tan B = -\frac{3}{4}$ as A and B are in the 2nd quadrant find $\tan(A + B)$

@@-56/33~

@@56/33

@@63/65

@@33/56

^^Given that $\sin A = \frac{5}{13}$ $\tan B = -\frac{3}{4}$ as A and B are in the 2nd quadrant find $\tan(A - B)$

@@-56/33

@@16/63~

@@-16/63

@@56/33

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = \frac{3}{4}$ where $90^\circ < A \leq 180^\circ$ and $180^\circ < B \leq 270^\circ$ find $\sin(A+B)$

@@16/65~

@@56/65

@@-56/65

@@-16/65

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = \frac{3}{4}$ where $90^\circ < A \leq 180^\circ$ and $180^\circ < B \leq 270^\circ$ find $\sin(A-B)$

@@16/65

@@56/65

@@-56/65~

@@-16/65

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = \frac{3}{4}$ where $90^\circ < A \leq 180^\circ$ and $180^\circ < B \leq 270^\circ$ find $\cos(A+B)$

@@63/65~

@@33/65

@@16/63

@@16/65

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = \frac{3}{4}$ where $90^\circ < A \leq 180^\circ$ and $180^\circ < B \leq 270^\circ$ find $\cos(A-B)$

@@63/65

@@33/65~

@@16/63

@@16/65

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = \frac{3}{4}$ where $90^\circ < A \leq 180^\circ$ and $180^\circ < B \leq 270^\circ$ find $\tan(A + B)$

@@63/65

@@33/65

@@16/63 ~

@@-56/65

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = \frac{3}{4}$ where $90^\circ < A \leq 180^\circ$ and $180^\circ < B \leq 270^\circ$ find $\tan(A - B)$

@@-56/33 ~

@@16/63

@@-16/63

@@56/33

^^Given that $\sin A = -\frac{5}{13}$ and $\tan B = \frac{3}{4}$ as A and B are in the 3rd quadrant find $\sin(A + B)$

@@16/65

@@56/65~

@@-56/65

@@-16/65

^^Given that $\sin A = -\frac{5}{13}$ and $\tan B = \frac{3}{4}$ as A and B are in the 3rd quadrant find $\sin(A - B)$

@@16/65

@@56/65

@@-56/65

@@-16/65~

^^Given that $\sin A = -\frac{5}{13}$ $\tan B = \frac{3}{4}$ as A and B are in the 3rd quadrant find $\cos(A + B)$

@@33/65~

@@63/65

@@16/63

@@16/65

^^Given that $\sin A = -\frac{5}{13}$ $\tan B = \frac{3}{4}$ as A and B are in the 3rd quadrant find $\cos(A - B)$

@@63/65~

@@33/65

@@16/63

@@16/56

^^Given that $\sin A = -\frac{5}{13}$ $\tan B = \frac{3}{4}$ as A and B are in the 3rd quadrant find $\tan(A + B)$

@@56/33~

@@56/33

@@63/65

@@33/56

^^Given that $\sin A = -\frac{5}{13}$ $\tan B = \frac{3}{4}$ as A and B are in the 3rd quadrant find $\tan(A - B)$

@@-56/33

@@16/63

@@-16/63~

@@56/33

^^Given that $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$ where $180^\circ < A \leq 270^\circ$ and $270^\circ < B \leq 360^\circ$ find $\sin(A+B)$

@@16/65~

@@56/65

@@-56/65

@@-16/65

^^Given that $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$ where $180^\circ < A \leq 270^\circ$ and $270^\circ < B \leq 360^\circ$ find $\sin(A-B)$

@@16/65

@@56/65

@@-56/65~

@@-16/65

^^Given that $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$ where $180^\circ < A \leq 270^\circ$ and $270^\circ < B \leq 360^\circ$ find $\cos(A+B)$

@@-63/65~

@@33/65

@@16/63

@@16/65

^^Given that $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$ where $180^\circ < A \leq 270^\circ$ and $270^\circ < B \leq 360^\circ$ find $\cos(A-B)$

@@63/65

@@-33/65 ~

@@16/65

@@16/63

^^Given that $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$ where $180^\circ < A \leq 270^\circ$ and $270^\circ < B \leq 360^\circ$ find $\tan(A + B)$

@@63/65

@@-16/63 ~

@@33/65

@@33/56

^^Given that $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$ where $180^\circ < A \leq 270^\circ$ and $270^\circ < B \leq 360^\circ$ find $\tan(A - B)$

@@56/33

@@16/63 ~

@@-16/63

@@56/33~

SECTION F

^^If $\sin A = \frac{5}{13}$ and $\tan B = \frac{3}{4}$, A and B in quadrant 2 and 3 respectively find $\sin 2A$

@@-120/169~

@@120/169

@@119/169

@@-119/169

^^If $\sin A = -\frac{5}{13}$ and $\tan B = \frac{3}{4}$, A and B in quadrant 2 and 3 respectively find $\cos 2A$

@@-120/169

@@120/169

@@119/169~

@@-119/169

^^If $\sin A = -\frac{5}{13}$ and $\tan B = \frac{3}{4}$, A and B in quadrant 2 and 3 respectively find $\tan 2A$

@@-120/119~

@@120/169

@@119/169

@@-119/169

^^If $\sin A = -\frac{5}{13}$ and $\tan B = \frac{3}{4}$, A and B in quadrant 2 and 3 respectively find $\sin 2B$

@@24/25 ~

@@-24/25

@@7/25

@@-7/25

^^If $\sin A = -\frac{5}{13}$ and $\tan B = \frac{3}{4}$, A and B in quadrant 2 and 3 respectively find $\cos 2B$

@@24/25

@@-24/25

@@7/25 ~

@@-7/25

^^If $\sin A = -\frac{5}{13}$ and $\tan B = \frac{3}{4}$, A and B in quadrant 2 and 3 respectively find $\tan 2B$

@@24/7 ~

@@-24/7

@@7/24

@@-7/24

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B are in the 2nd quadrant find $\sin 2A$

@@-120/119 ~

@@120/169

@@119/169

@@-119/169

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B are in the 2nd quadrant find $\cos 2A$

@@-120/119

@@120/169

@@119/169 ~

@@-119/169

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B are in the 2nd quadrant find $\tan 2A$

@@-120/119 ~

@@120/119

@@-120/169

@@119/169

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B are in the 2nd quadrant find $\sin 2B$

@@ -24/25 ~

@@24/25

@@-24/7

@@24/7

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B are in the 2nd quadrant find $\cos 2B$

@@ 7/25 ~

@@24/25

@@-24/7

@@24/7

^^Given that $\sin A = \frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B are in the 2nd quadrant find $\tan 2B$

@@ -24/7 ~

@@24/7

@@7/25

@@25/7

^^If $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B in quadrant 3 and 4 respectively find $\sin 2A$

@@-120/119

@@120/169 ~

@@-120/169

@@119/169

^^If $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B in quadrant 3 and 4 respectively find $\cos 2A$

@@-120/169

@@119/169 ~

@@120/169

@@-119/169

^^If $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B in quadrant 3 and 4 respectively find $\tan 2A$

@@-120/119

@@120/169

@@120/119 ~

@@-120/119

^^If $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B in quadrant 3 and 4 respectively find $\sin 2B$

@@-24/25 ~

@@24/25

@@-24/7

@@24/7

^^If $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B in quadrant 3 and 4 respectively find $\cos 2B$

@@24/25 ~

@@-24/25

@@7/25~

@@-7/25

^^If $\sin A = -\frac{5}{13}$ and $\tan B = -\frac{3}{4}$, A and B in quadrant 3 and 4 respectively find $\tan 2B$

@@-7/24

@@7/24

@@-24/7 ~

@@24/7

SECTION G

^^If $\tan A = \frac{5}{12}$ then $\tan \frac{1}{2}A =$

@@ -5, 1/5 ~

@@3, -1/3

@@5, -1/5

@@-3, 1/3

^^If $\tan B = -\frac{3}{4}$ then $\tan \frac{1}{2}B =$

@@-5, 1/5

@@3, -1/3 ~

@@5, -1/5

@@-3, 1/3

^^If $\tan A = -\frac{5}{12}$ then $\tan \frac{1}{2}A =$

@@-5, 1/5

@@3, -1/3

@@5, -1/5 ~

@@-3, 1/3

^^If $\tan B = \frac{3}{4}$ then $\tan \frac{1}{2}B =$

@@-5, 1/5

@@3, -1/3

@@5, -1/5

@@-3, 1/3~

^^For what values of x is the equation $1 + \cos x = 2 \sin 2x$ where x is between 0° to 180°

@@ $(60^\circ, 90^\circ)$

@@ $(60^\circ, 180^\circ)$ ~

@@ $(30^\circ, 90^\circ)$

@@ $(60^\circ, 120^\circ)$

^^Given that $\sin \theta + \cos \theta = R \sin(\theta + \alpha)$ then the pair (R, α) is

@@ $(2, 45^\circ)$

@@ $(\sqrt{2}, 30^\circ)$

@@ $(\sqrt{2}, 45^\circ)$ ~

@@ $(\sqrt{3}, 30^\circ)$

^^Given that $24 \cos \theta + 7 \sin \theta = R \sin(\theta + \alpha)$ then R is

@@25 ~

@@24

@@30

@@36

^^Given that $\sqrt{3} \sin \theta - \cos \theta = R \sin(\theta - \alpha)$ then the pair (R, α) is

@@ (2, 30°) ~

@@ (2, 45°)

@@ (2, 60°)

@@ (2, -30°)

^^ Given that $\sin \theta - \sqrt{3} \cos \theta = R \sin(\theta - \alpha)$ then the pair (R, α) is

@@ (2, 60°) ~

@@ (2, 45°)

@@ (2, 90°)

@@ (2, 30°)

^^ Given that $\sqrt{3} \cos \theta + \sin \theta = R \cos(\theta - \alpha)$ then the pair (R, α) is

@@ (2, 30°) ~

@@ (2, 45°)

@@ (2, 60°)

@@ (2, -30°)

^^ Given that $\sqrt{2} \cos \theta - \sqrt{2} \sin \theta = R \cos(\theta + \alpha)$ then the pair (R, α) is

@@ (2, 30°)

@@ (2, 45°) ~

@@ (2, 60°)

@@ (2, -30°)

SECTION H

^^ If the distance between the points $P(1, -3)$ and $Q(4, k)$ is 5. Then the two possible values of k are

@@ 7 and -2

@@ 7 and 1

@@ - 7 and 2

@@1 and - 7 ~

@@2 and 7

^^ Find the coordinates of midpoint of the line joining (-1, 1) and (5, 7).

@@ 7, 11

@@5, 9

@@4, 7

@@ 2, 4 ~

@@2, 3

^^ The distance between (1, - 3) and (4, 1) is

@@5 ~

@@2

@@3

@@ - 5

^^ The distance between (2, - 1) and (3, 4) is

@@25

@@ $\sqrt{26}$ ~

@@5

@@ $2\sqrt{5}$

^^ The polar form of the point (1, 1) is

@@ $(2, \frac{\pi}{4})$

@@ $(\sqrt{2}, 45^\circ)$ ~

@@ $(1, \frac{\pi}{4})$

@@ $(\frac{\pi}{4}, 2)$

^^ The distance between points (-3, 8) and (8, -5) is

@@ 19.03 units

@@ 11.03 units

@@ 15.03 units

@@ 17.03 units~

^^ The distance between points A (2, 2) and B (9, 11) is

@@ 11.4~

@@ 13.4

@@ 15.4

@@ 17.4

^^ If the distance between the points $M(1, -3)$ and $N(p, 1)$ is 5. Then the two possible values of p are

@@ 4 and -2

@@ 4 and 2

@@ -4 and 2~

@@ 1 and -3

^^ The polar coordinate of the point $A(\sqrt{3}, -1)$ is

@@ $(2, \frac{\pi}{3})$

@@ $(2, \frac{\pi}{6})$

@@ $(2, \frac{\pi}{4})$

@@ $(2, -\frac{\pi}{6})$ ~

^^ The Cartesian coordinate of the point $M(1, \frac{\pi}{4})$ is

@@ $(\frac{1}{\sqrt{2}}, \frac{1}{\sqrt{2}})$ ~

@@ $(\frac{1}{\sqrt{2}}, \frac{-2}{\sqrt{2}})$

@@ $(\sqrt{2}, \sqrt{2})$

@@ $(\frac{-2}{\sqrt{2}}, \sqrt{2})$

^^ The Cartesian coordinate of the point $M(2, \frac{\pi}{4})$ is

@@ $(\frac{1}{\sqrt{2}}, \frac{1}{\sqrt{2}})$

@@ $(\frac{1}{\sqrt{2}}, \frac{-2}{\sqrt{2}})$

@@ $(\sqrt{2}, \sqrt{2})$ ~

@@ $(\frac{-2}{\sqrt{2}}, \sqrt{2})$

^^ The distance between $A(1, -1)$ and $B(-1, 1)$ is

@@ $2\sqrt{2}$ ~

@@ $4\sqrt{2}$

$$@@\sqrt{10}$$

$$@@ - 2\sqrt{10}$$

^^The Cartesian coordinate of the point $P(2, \frac{\pi}{3})$ is

$$@@ (1, \frac{1}{3})$$

$$@@ (\frac{1}{2}, \frac{1}{3})$$

$$@@ (\frac{2}{3}, \frac{1}{3})$$

$$@@ (\frac{1}{3}, \frac{2}{3}) \sim$$

^^ The Cartesian coordinate of the point $M(3, \frac{\pi}{4})$ is

$$@@ (\frac{1}{\sqrt{2}}, \frac{1}{\sqrt{2}})$$

$$@@ (b) (\frac{3}{\sqrt{2}}, \frac{-3}{\sqrt{2}})$$

$$@@ (2, \sqrt{2})$$

$$@@ (b) (\frac{3}{\sqrt{2}}, \frac{3}{\sqrt{2}}) \sim$$

SECTION I

^^The slope the line $3x - 3y + 17 = 0$ is

$$@@ - 3$$

$$@@ \frac{1}{3}$$

$$@@ - 1$$

$$@@ 1 \sim$$

^^ If a line passes through point $A(0, c)$ and has gradient 'm' then equation will be

$$@@ y = mx + c \sim$$

$$@@ c = xy + m$$

$$@@ m = xy + c$$

$$@@ cx = y + m$$

^^ Straight line equation $y - 5x = 2$ has gradient of

$$x + y$$

$$xy$$

$$- 5$$

$$5$$

The slope of the points A(2, - 1) and B(3, 4) is

$$5$$

$$3$$

$$- 3$$

$$- 5$$

The slope of the points A(1, - 1) and B(3, 3) is

$$4$$

$$2$$

$$1$$

$$5$$

The slope of the points A(0, 0) and B(0, 2) is

$$1$$

$$2$$

$$\infty$$

$$0$$

The slope of the points A(a, 0) and B(2a, a) is

$$a$$

$$2a$$

$$1$$

$$-a$$

If z_1 and z_2 are the gradients of two parallel lines then

$$z_1 = z_2$$

$$z_1 = - z_2$$

$$z_1 = - z_2^{-1}$$

$$z_1 z_2 = -1$$

^^ Find the equation of a circle whose diameter $r = 3$ and centre is $(2, -3)$

$$(x + 2)^2 + (y - 3)^2 = 36$$

$$(x - 2)^2 + (y + 3)^2 = 9 \sim$$

$$(x + 2)^2 + (y - 3)^2 = 36$$

$$(x + 3)^2 + (y - 2)^2 = 9$$

^^ The equation of a circle with centre at $(0,-3)$ and radius $r = 5$ is

$$(x)^2 + (y - 3)^2 = 25$$

$$(x)^2 + (y + 3)^2 = 25 \sim$$

$$x^2 + (y + 3)^2 = 100$$

$$x^2 + (y - 3)^2 = -25$$

^^ The coordinate of centre to the circle $x^2 + y^2 - 16x - 12y + 84 = 0$ is

$$(-8, -6)$$

$$(3, -6)$$

$$(-8, 2)$$

$$(8, 6) \sim$$

^^ The radius of the circle $x^2 + y^2 - 16x - 12y + 84 = 0$ is

$$4 \sim$$

$$6$$

$$16$$

$$3$$

^^ Any line parallel to the Y- axis has a zero gradient.

$$\text{True}$$

$$\text{False} \sim$$

^^ Given the points $A(2, 5)$ and $B(5, 8)$ the coordinate of the point C which divides AB internally in the ratio 2:1 is

$$(8, 11)$$

$$@@ (4, 7) \sim$$

$$@@ (7, 4)$$

$$@@ (3, 5)$$

^^ The gradient of the line joining S(4, 8) and T(5,-2) is

$$@@ -2$$

$$@@ 8$$

$$@@ -8$$

$$@@ -10 \sim$$

SECTION J

^^ If the centre of a circle of radius r is at the origin, then the equation to its tangent at (x_1, y_1) is

$$@@ xx_1 + yy_1 = -r^2$$

$$@@ xx_1 + yy_1 = r^2 \sim$$

$$@@ xy_1 + yx_1 = r^2$$

$$@@ xx_1 + yy_1 = r$$

^^ The equation of the line through $(1, 0)$ which is parallel to the line $3y - 9x - 5 = 0$ is

$$@@ y - 3x - 1 = 0$$

$$@@ y - 3x - 3 = 0$$

$$@@ y - 3x + 3 = 0 \sim$$

$$@@ 3y - 2x - 2 = 0$$

^^ The equation of the straight line passing through point A(1, 1) at an angle 270° is

$$@@ y - x - 2 = 0$$

$$@@ y + x - 2 = 0$$

$$@@ y = \infty \sim$$

$$@@ y = 0$$

^^ If d_1 and d_2 are the gradient of two transverse lines then

$$@@d_1 = d_2$$

$$@@d_1 = -d_2$$

$$@@d_1 = d_2^{-1}$$

$$@@d_1 d_2 = -1$$

^^ The equation of the straight line passing through (1,1) and (-1,1) is

$$@@y = x + 1$$

$$@@y = 0$$

$$@@y = 1$$

$$@@y = -1$$

^^ The angle between line $-8x + 4y + 7 = 0$ and $x - y = 0$ is

$$@@\pi$$

$$@@\frac{\pi}{2}$$

$$@@0$$

$$@@\frac{\pi}{4}$$

^^ The equation of the line through (1, 0) which is parallel to the line $2y - 3x - 5 = 0$ is

$$@@3y - 2x + 2 = 0$$

$$@@3y + 2x - 2 = 0$$

$$@@2x - 3y + 2 = 0$$

$$@@2y - 3x + 3 = 0$$

^^ The equation of the line through (1, 0) which is perpendicular to the line

$$2y - 3x - 5 = 0$$
 is

$$@@3y - 2x + 2 = 0$$

$$@@3y + 2x - 2 = 0$$

$$@@2x - 3y + 2 = 0$$

$$@@2y + 3x - 3 = 0$$

^^ The equation of normal to the circle $x^2 + y^2 - 4y + 1 = 0$ which passes through the point (1,1) is

$$@@y = -x$$

$$@@y = x$$

$$@@y = x - 1$$

$$@@ y + 1 = -x$$

^^ The equation of tangent to the circle $x^2 + y^2 - 4y + 1 = 0$ which passes through the point (1,1) is

$$@@ y - x = -2$$

$$@@ y = x - 2$$

$$@@ y = x + 2$$

$$@@ y + 1 = -x$$

^^ The equation of the straight line passing through point A(1, 1) at an angle with slope of $\frac{1}{2}$ is

$$@@ 2y - x - 1 = 0$$

$$@@ y + 2x - 1 = 0$$

$$@@ y - x + 2 = 0$$

$$@@ y + x + 2 = 0$$

^^ The equation of the straight line passing through point A(1, 1) at an angle with slope of $\frac{-1}{2}$ is

$$@@ 2y + x - 3 = 0$$

$$@@ y + 2x - 3 = 0$$

$$@@ y - 2x + 3 = 0$$

$$@@ 2y + x + 3 = 0$$

^^ The angle between line $x + 4y = -7$ and $y - 4x - 7 = 0$ is

$$@@ \pi$$

$$@@ \frac{\pi}{2}$$

$$@@ 0$$

$$@@ \frac{\pi}{6}$$

^^ The angle between line $y - 2x = 6$ and $-4x + 2y = 11$ is

$$@@ \pi$$

$$@@ \frac{\pi}{2}$$

$$@@ 0$$

$$@@ \frac{\pi}{6}$$

^^ The equation of a straight line through the point (1, 1) with slope 135° is

$$@@ y + x + 1 = 0$$

$$@@ y + x - 2 = 0$$

$$@@ y - x + 1 = 0$$

@@ $y - x - 1 = 0$

^^ Given the triangle ABC with coordinate points A(1,3) B(-7,6) and C(5,-1). The area of the triangle is

@@ 50 sq unit

@@ 6 sq unit

@@ 25 sq unit

@@ 10 sq unit ~

^^ The following lines $3x + 2y + 1 = 0$ and $x - 3y + 5 = 0$ meet at the point

@@ $\left(-\frac{12}{11}, \frac{13}{11}\right)$

@@ $\left(\frac{14}{11}, \frac{13}{11}\right)$

@@ $\left(-\frac{13}{11}, \frac{14}{11}\right)$ ~

@@ $\left(\frac{13}{11}, -\frac{14}{11}\right)$

^^ The equation of the tangent to the circle $x^2 + y^2 - 6x + 2y - 15 = 0$ at the point (2,1) is

@@ $y - x - 15 = 0$

@@ $2y + x - 20 = 0$

@@ $2y - x - 20 = 0$ ~

@@ $y + 2x - 6 = 0$

^^ A 17 ft ladder against a wall has its foot 8ft from the base of the wall. At what height is the top of the ladder touching the wall?

@@ 9ft

@@ 15 ft ~

@@ 25 ft

@@ 13 ft

^^ A 17 ft ladder against a wall has a height of 15ft. What is the distance between the base of the wall and the foot of the ladder

@@ 9ft

@@ 8 ft ~

@@ 25 ft

@@ 13 ft

^^If the slope of a line is $Q1$, then the slope of the line perpendicular to it is?

@@ $Q1$

@@ $- Q1$

@@ $-\frac{1}{Q1} \sim$

@@ $\frac{1}{Q1}$